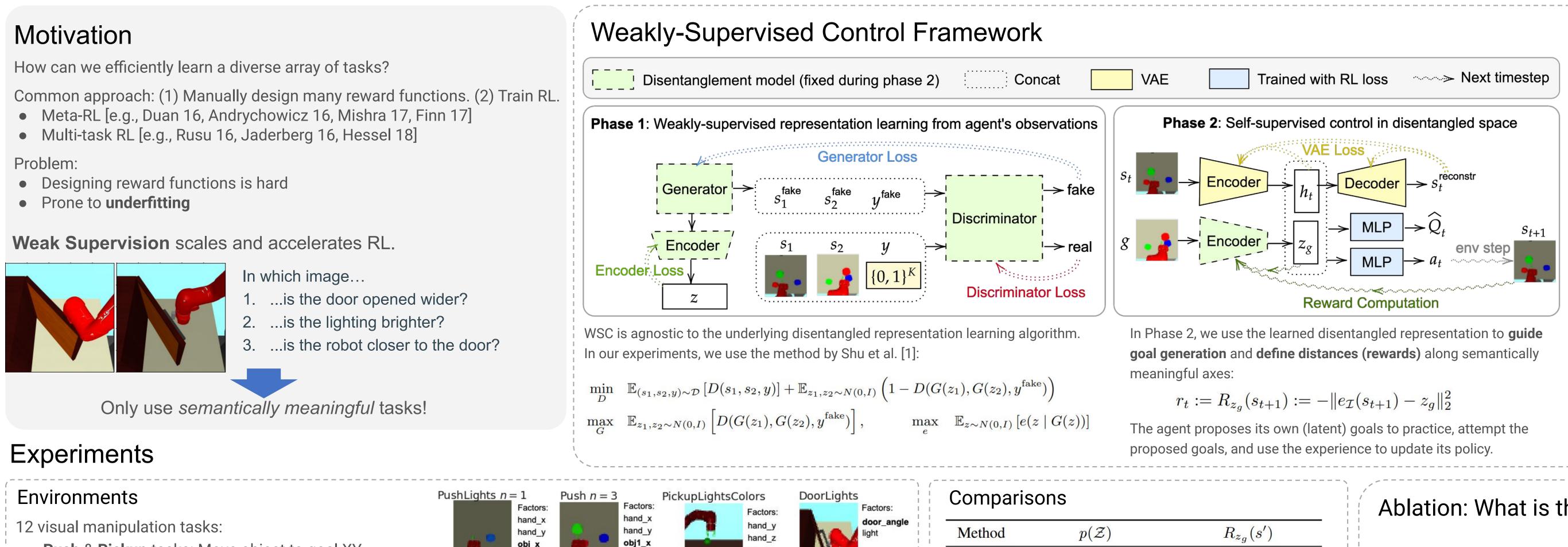
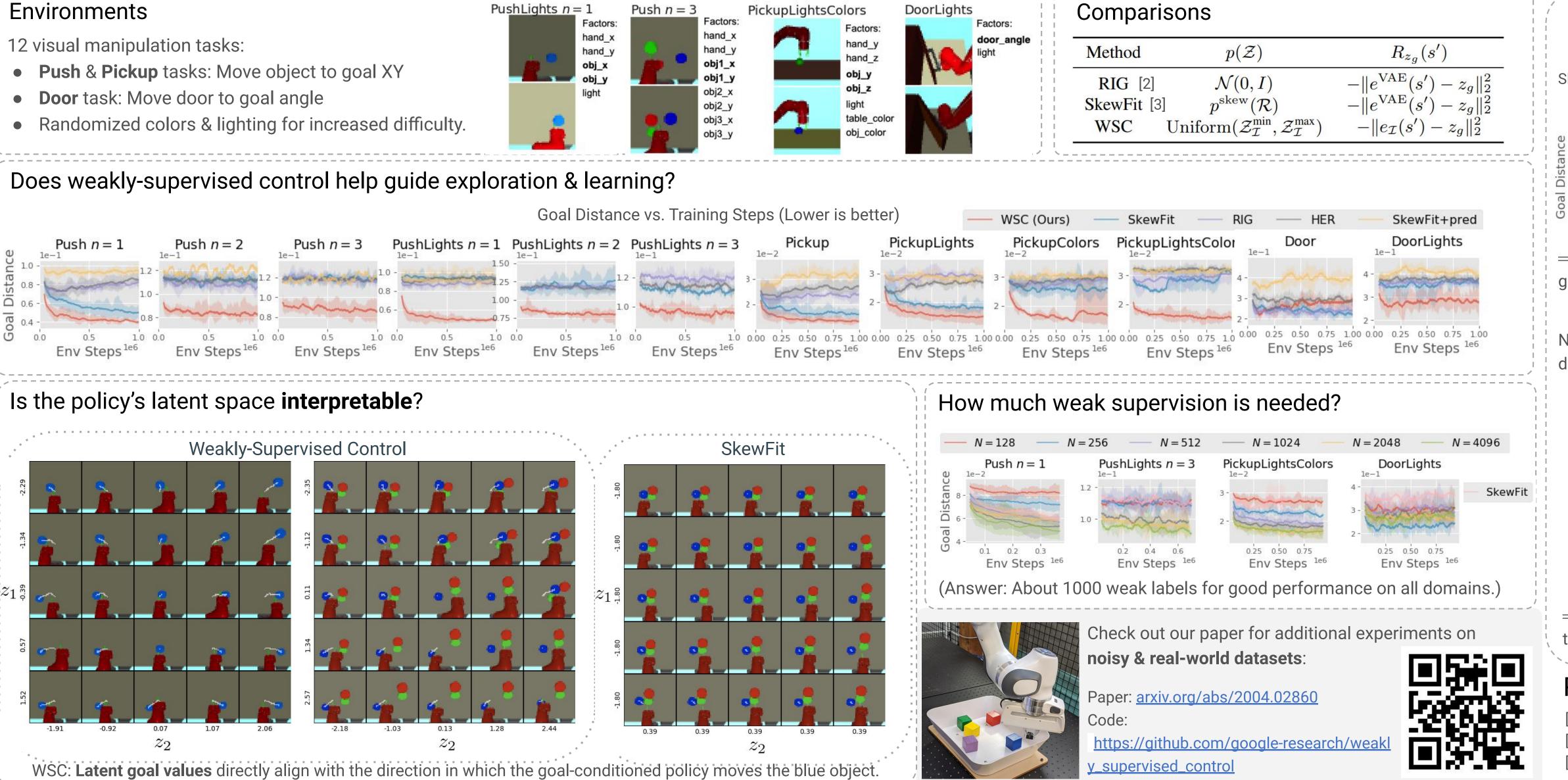
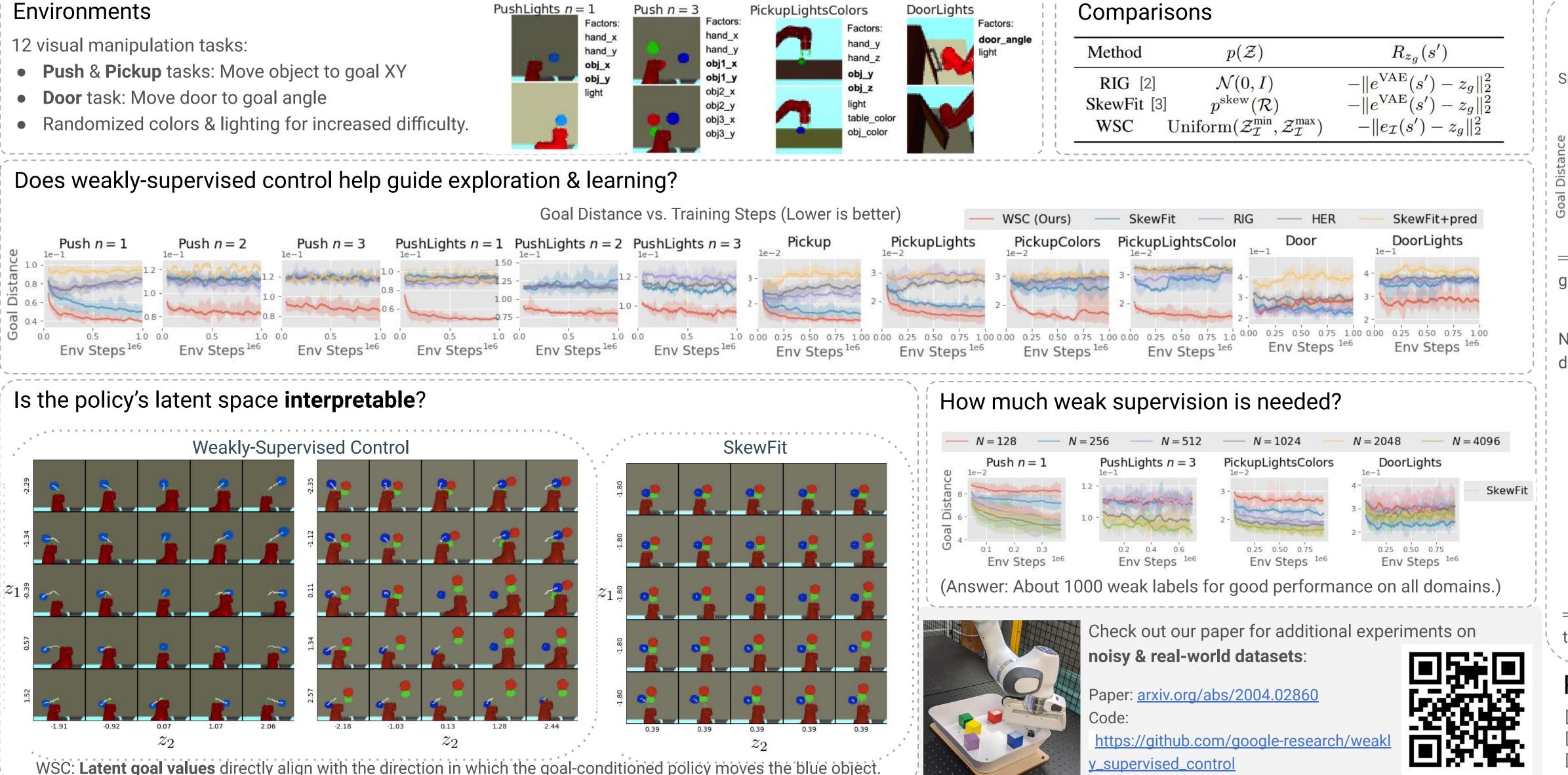
## Weakly-Supervised RL for Controllable Behavior

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University

$$\sum_{I} [D(s_1, s_2, y)] + \mathbb{E}_{z_1, z_2 \sim N(0, I)} \left( 1 - D(G(z_1), G(z_2), y^{\text{ranc}}) \right)$$

$$= \sum_{I} \left[ D(G(z_1), G(z_2), y^{\text{fake}}) \right], \qquad \max_{e} \quad \mathbb{E}_{z \sim N(0, I)} \left[ e(z \mid G(z)) \right]$$





Algorithm 1 Weakly-Supervised Control **Input**: Weakly-labeled dataset  $\mathcal{D}$ , factor subindices  $\mathcal{I} \subseteq [K]$ 1: Train disentangled representation  $e : S \mapsto Z$  using D. 2: Compute  $\mathcal{Z}_{\mathcal{I}}^{\min} = \min_{s \in \mathcal{D}} e_{\mathcal{I}}(s)$ . 3: Compute  $\mathcal{Z}_{\mathcal{I}}^{\max} = \max_{s \in \mathcal{D}} e_{\mathcal{I}}(s)$ . 4: Define  $p(\mathcal{Z}_{\mathcal{I}}) := \text{Uniform}(\mathcal{Z}_{\mathcal{I}}^{\min}, \mathcal{Z}_{\mathcal{I}}^{\max}).$ 5: Initialize replay buffer  $\mathcal{R} \leftarrow \emptyset$ . 6: **for** iteration = 0, 1, ..., doSample a goal  $z_q \in \mathcal{Z}$  and an initial state  $s_0$ . for  $t = 0, 1, \dots, H - 1$  do Get action  $a_t \sim \pi(s_t, z_q)$ . 9: Execute action and observe  $s_{t+1} \sim p(\cdot \mid s_t, a_t)$ . 10: Store  $(s_t, a_t, s_{t+1}, z_g)$  into replay buffer  $\mathcal{R}$ . 11: for  $t = 0, 1, \dots, H - 1$  do 12: 13: for j = 0, 1, ..., J do With probability p, sample  $z'_{q} \sim p(\mathcal{Z}_{\mathcal{I}})$ . Otherwise, 14: sample a future state  $s' \in \tau_{>t}$  in the current trajectory and compute  $z'_{q} = e_{\mathcal{I}}(s')$ . Store  $(s_t, a_t, s_{t+1}, z'_q)$  into  $\mathcal{R}$ . 15: for k = 0, 1, ..., N - 1 do 16: Sample  $(s, a, s', z_q) \sim \mathcal{R}$ . 17: Compute  $r = R_{z_g}(s') = - \|e_{\mathcal{I}}(s') - z_g\|_2^2$ . 18: Update actor and critic using  $(s, a, s', z_q, r)$ . 20: return  $\pi(a \mid s, z)$ 

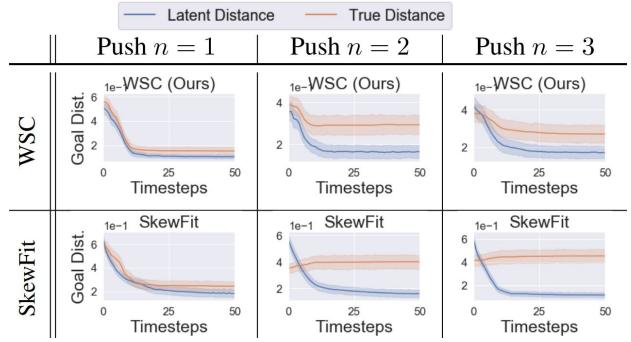
## Ablation: What is the role of distances vs. goals?

SkewFit+DR = Sample goals in VAE latent space, but use reward distances in disentangled latent space.

		— wsc				
e	Push $n = 1$	Push $n = 2$	Push $n = 3$	le-1	PushLights $n = 2$	PushLights $n = 3$
	Comes	1.2 - 1.0 - 0.8 -		1.0 - 0.8 - 0.6 - 1.00 0.6 - 1.00 0.75		
0.	00 0.25 0.50 0.75 1.0 Env Steps <sup>1e6</sup>	00 0.00 0.25 0.50 0.75 1.00 0 Env Steps <sup>1e6</sup>	.00 0.25 0.50 0.75 1. Env Steps <sup>1e6</sup>	0.00 0.25 0.50 0.75 1.00 Env Steps <sup>1e6</sup>	0.00 0.25 0.50 0.75 1.00 Env Steps <sup>1e6</sup>	0.00 0.25 0.50 0.75 1.00 Env Steps <sup>1e6</sup>

 $\Rightarrow$  Disentangled distance metric can help SkewFit slightly in harder environments, but the goal generation mechanism of WSC is crucial to achieving efficient exploration.

Next, we roll out trained policies conditioned on a goal image, and measure the latent distance vs. the true goal distance:



 $\Rightarrow$  The disentangled distance optimized by WSC is **more indicative of the true goal distance** than the latent VAE distance optimized by SkewFit, especially for more complex tasks (n > 1).

## References

[1] Shu et al., 2019, "Weakly-supervised disentanglement with guarantees".

- [2] Nair et al., 2018, "Visual reinforcement learning with imagined goals".
- [3] Pong et al., 2019, Skew-fit: State-covering self-supervised reinforcement learning.